

大阪大学大学院情報科学研究科

**Osaka University**

**Graduate School of Information Science & Technology**

Advanced Network Architecture Laboratory

<http://www.anarg.jp/>



<http://www.yuragi.osaka-u.ac.jp>

# **A Heuristic Approach for K-Coverage Extension with Energy-Efficient Sleep Scheduling in Sensor Networks**

Kenji Leibnitz, Indika Suranjith Abeyweera,  
Naoki Wakamiya, Masayuki Murata

# Outline

- ▶ Introduction
- ▶ Problem formulation
- ▶ Deployment of sensor nodes with “Gas Bubble” algorithm
  - Algorithm formulation
  - Performance evaluation
- ▶ Integration with dynamic sleep scheduling
- ▶ Conclusion and Outlook

# Introduction

- ▶ Future ambient information infrastructures require huge number of sensors with redundant coverage
- ▶ “Coverage” encompasses two parts:
  - Sensing coverage (type of sensor)
  - RF communication range (connectivity)
- ▶ Deployment of sensor nodes is an NP-complete problem to obtain  $K$ -coverage, especially when a partially existing network is extended

# K-Coverage Problem



## ► Example scenario:

- Consider surveillance of a museum with sensors
- Some objects require more reliable monitoring with redundant coverage
- Failure of individual sensor can be compensated

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# Assumptions and Definitions

- ▶ Rectangular monitoring window  $W$
- ▶ Set of sensor nodes  $\mathcal{S}$  with  $|\mathcal{S}| = M$
- ▶ Sensing coverage radius  $r$
- ▶ Circular sensing coverage areas, coverage degree:

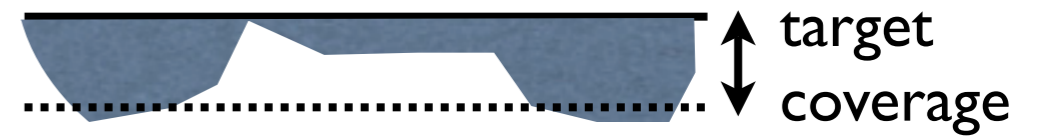
$$C(x) = |\{s \in \mathcal{S} : \|s - x\| < r\}|$$

- ▶ **Definition:**

We say that a region  $W$  has obtained  $K$ -coverage, iff  $\forall x \in W$   $C(x) \geq K$  where  $C : \mathbb{R}^2 \rightarrow \mathbb{N}$  is the number of sensor nodes covering a point  $x \in W$

# Gas Bubble Algorithm

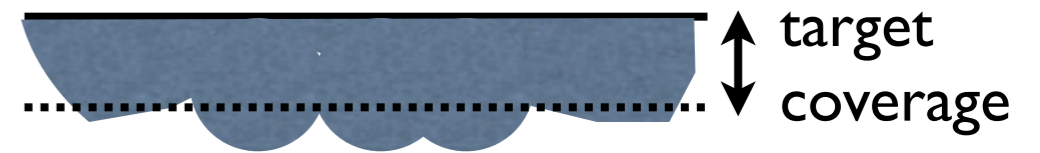
- ▶ Mimics the behavior of gas bubbles slowly rising in a liquid before changing its state to solid
- ▶ Heuristic method based on self-organizing feature maps, especially *Growing Neural Gas*
- ▶ Reaction of neurons to stimuli in the given area
- ▶ The distance of each neuron is indicator for suitability of “cooling down” (as in *Simulated Annealing*)





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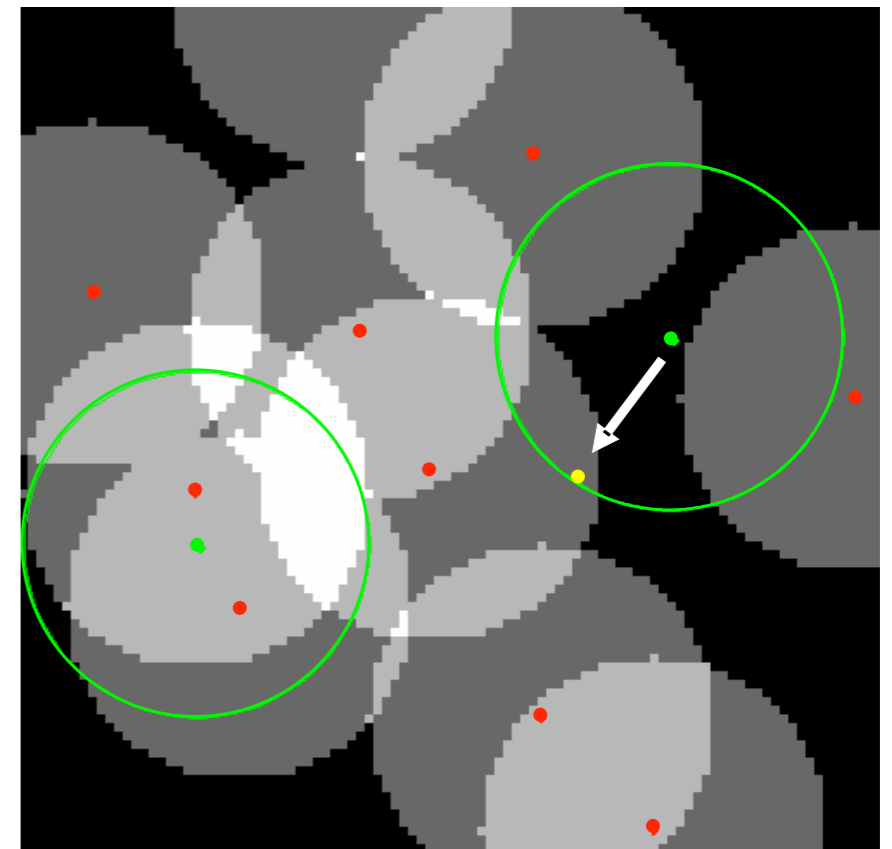
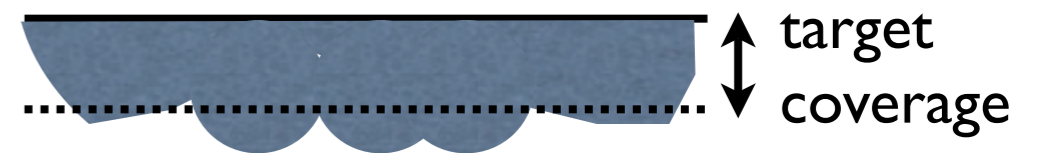
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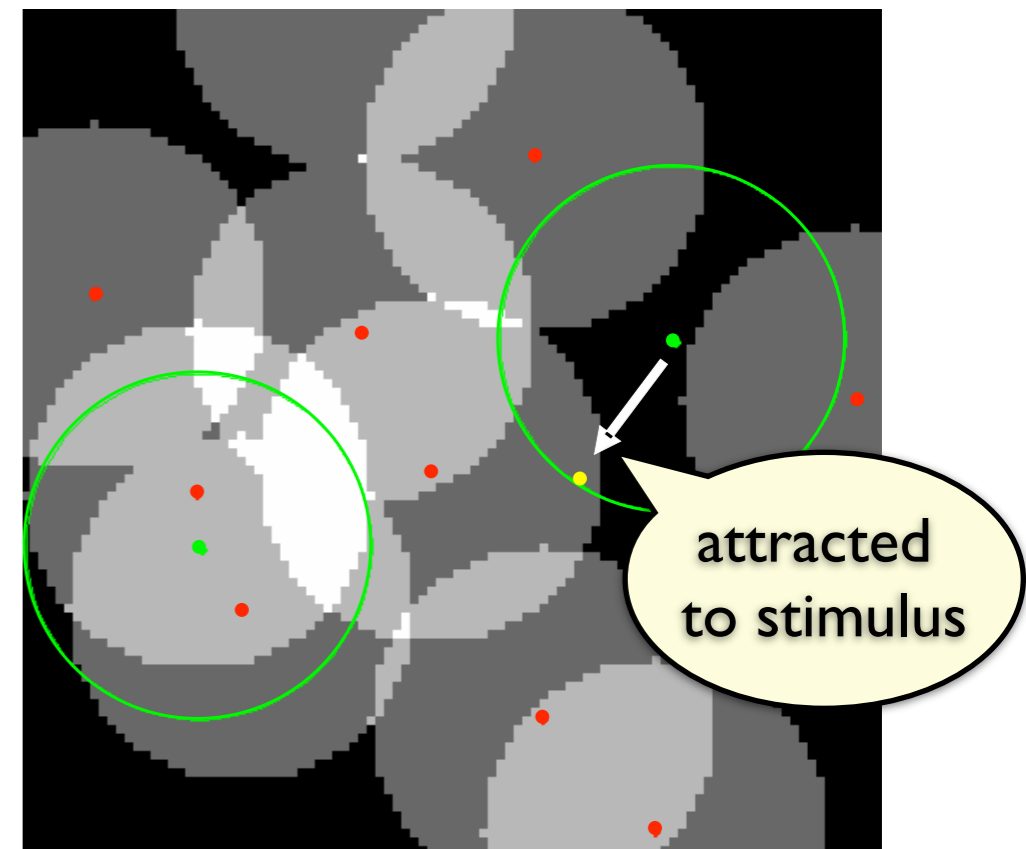
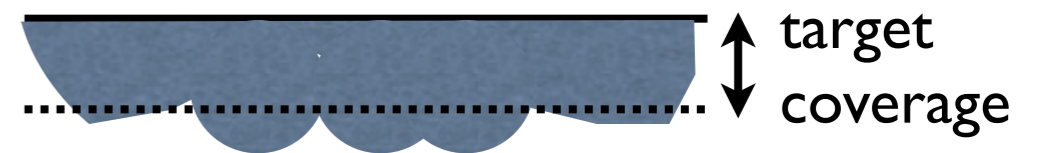
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# Formulation of Bubble Algorithm

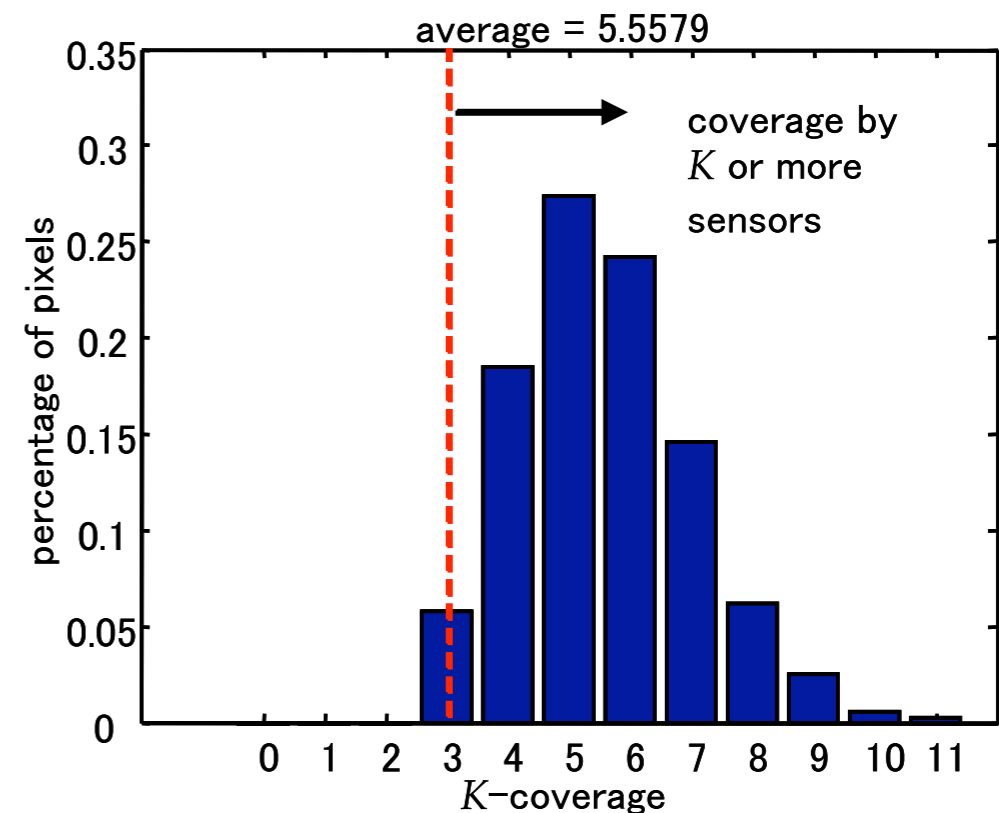
1. Initialize  $step = 0$
2. While there are still locations with coverage less than  $K$ 
  - 2.1.  $step = step + 1$
  - 2.2. Start with two neurons  $n_1$  and  $n_2$  at random positions in the window
  - 2.3. Generate input stimulus  $\xi$  randomly among all uncovered points in  $W$  proportional to  $K - C(\xi)$
  - 2.4. Find the nearest neuron  $b$  to  $\xi$  and update its error value and reset its age.
$$error(b) = error(b) + \|b - \xi\|$$
$$age(b) = 0$$
  - 2.5. Move  $b$  by  $\epsilon$  towards  $\xi$ :  $b = b + \epsilon(\xi - b)$
  - 2.6. If  $t_{add} \bmod step == 0$ , add a neuron at the location of the neuron with the highest error and split this total error among the old and new neuron.
  - 2.7. If  $s_{add} \bmod step == 0$ , the neuron with lowest error becomes a sensor node if there is a coverage gain.
  - 2.8. Remove all neurons  $n_i$  with  $age(n_i) > t_{age}$
  - 2.9. Decrease the error of each neuron  $n_j$  by a decay factor  $\delta$  and increment its age

$$error(n_j) = \delta error(n_j)$$

$$age(n_j) = age(n_j) + 1$$

# Parameter Settings

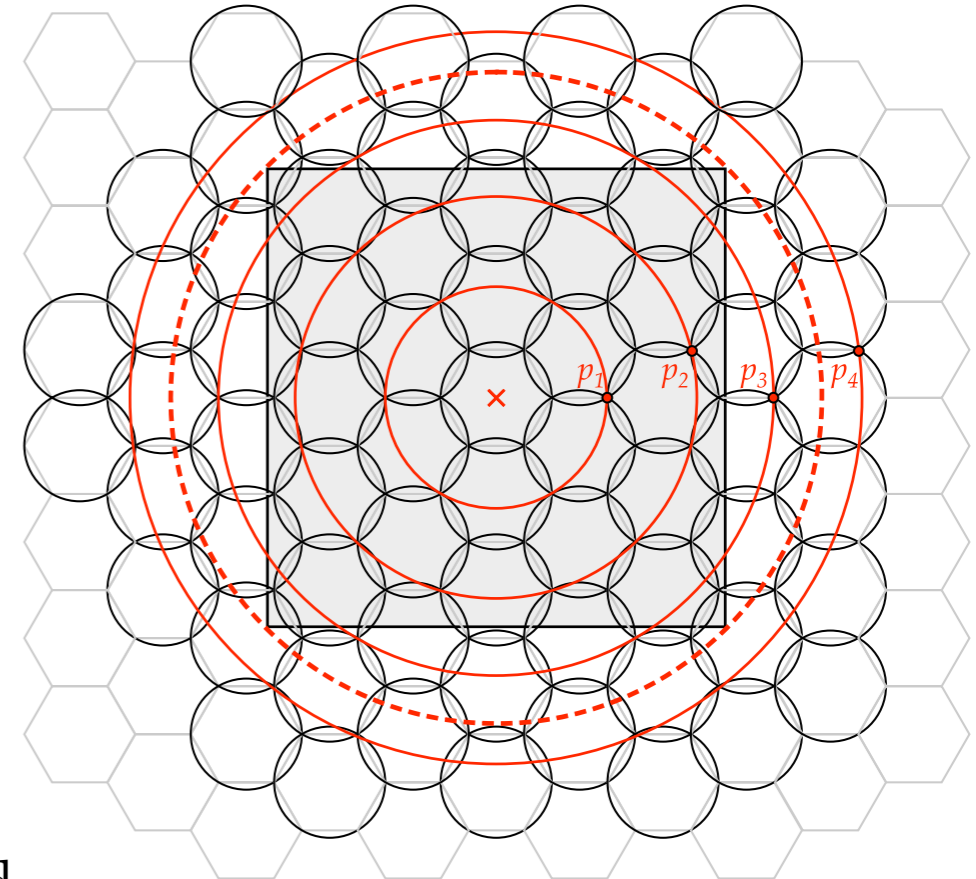
- ▶ Starting with 2 neurons, their error is indicator for adding new neurons
- ▶ Every  $t_{add}$  time steps a new neuron is added by splitting the node with the highest error value
- ▶ Every  $s_{add}$  time steps a neuron becomes fixed
- ▶ Circular sensor coverage areas cause much overlap, especially for large  $K$



$$\begin{array}{ll} t_{add} = 200 & s_{add} = 500 \\ \epsilon = 0.2 & t_{age} = 200 \\ \delta = 0.95 & w = 100 \\ r = 13 & K = 3 \end{array}$$

# Approximation of Optimal Coverage

- ▶ Best approximation of circular coverage areas by hexagon with superposition of  $K$  layers
- ▶ Beginning from center ('x'), calculate  $p_i$  and their radius  $y_i$
- ▶ Number of nodes  $L_i$  for tier  $i$



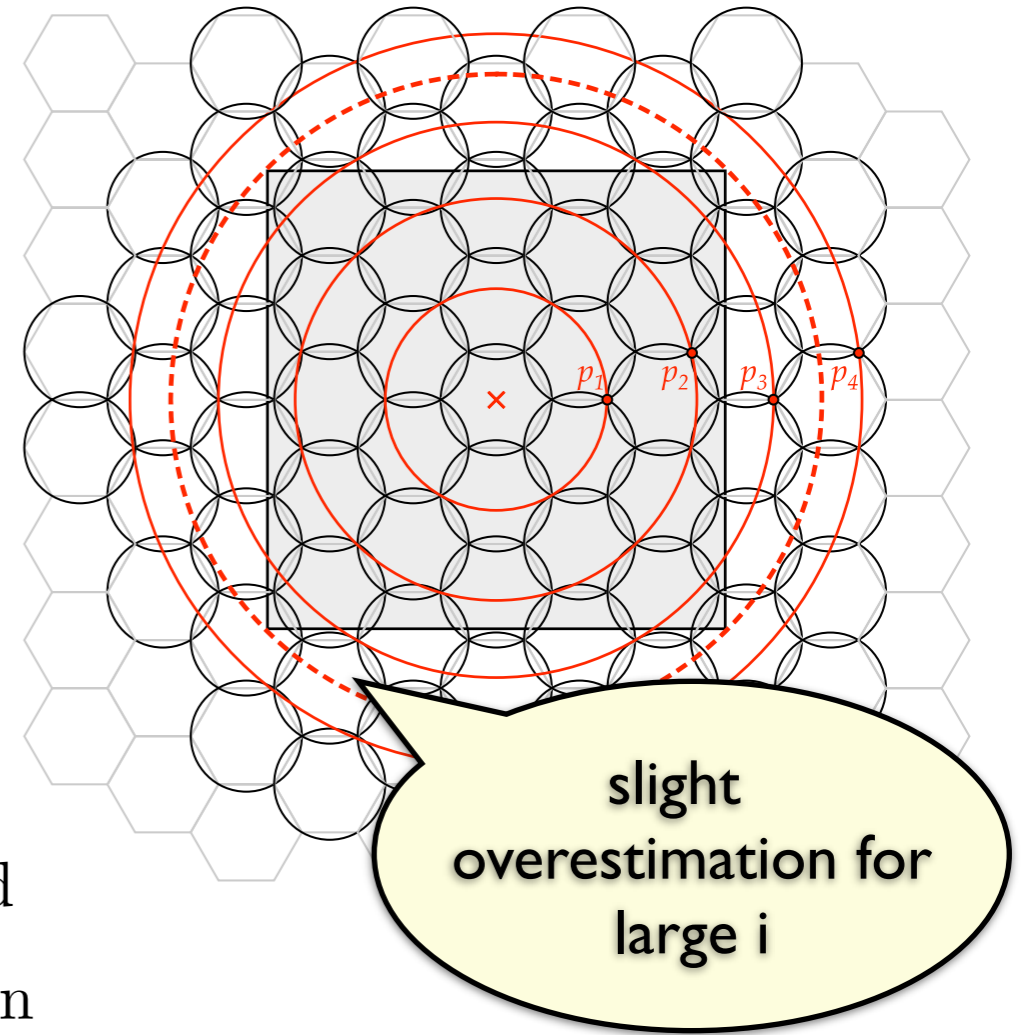
$$y_i = \begin{cases} r (2 + 3 (i - 1)) & \text{if } i \text{ is odd} \\ \frac{r}{2} \sqrt{(7 + 6 (i - 2))^2 + 3} & \text{if } i \text{ is even} \end{cases}$$

$$L_i = 1 + 6 \sum_{k=1}^i k = 1 + 3i(i + 1)$$

$i$	1	2	3	4	5	6	7
$y_i$	30.0	54.1	120.0	143.1	210.0	232.9	300.0

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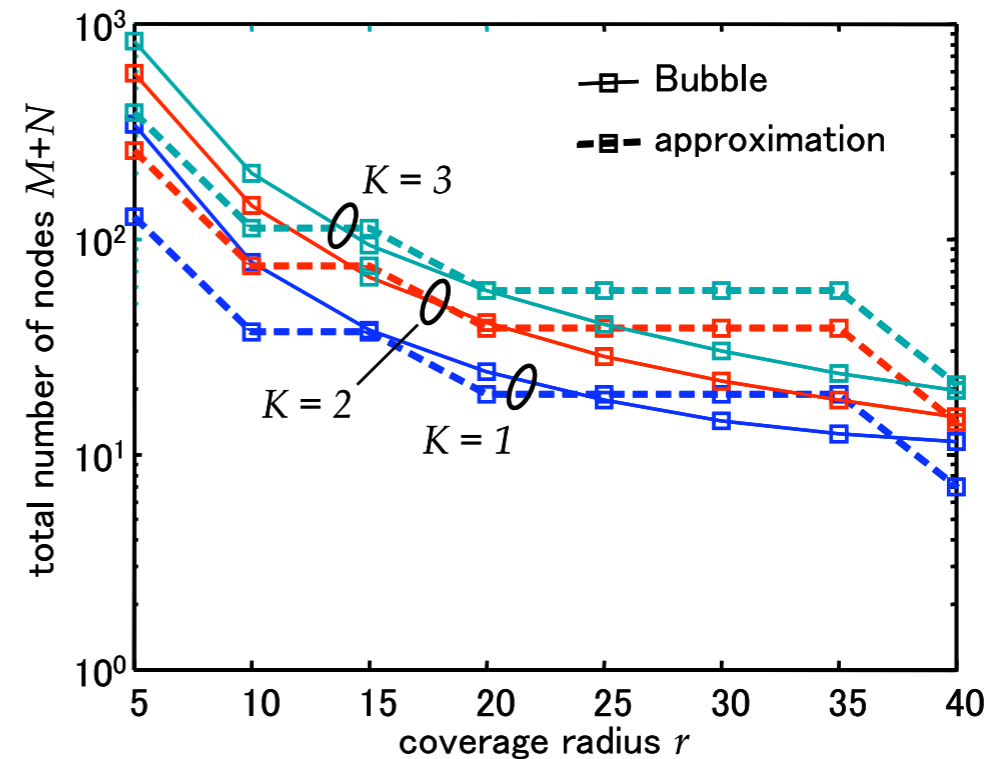
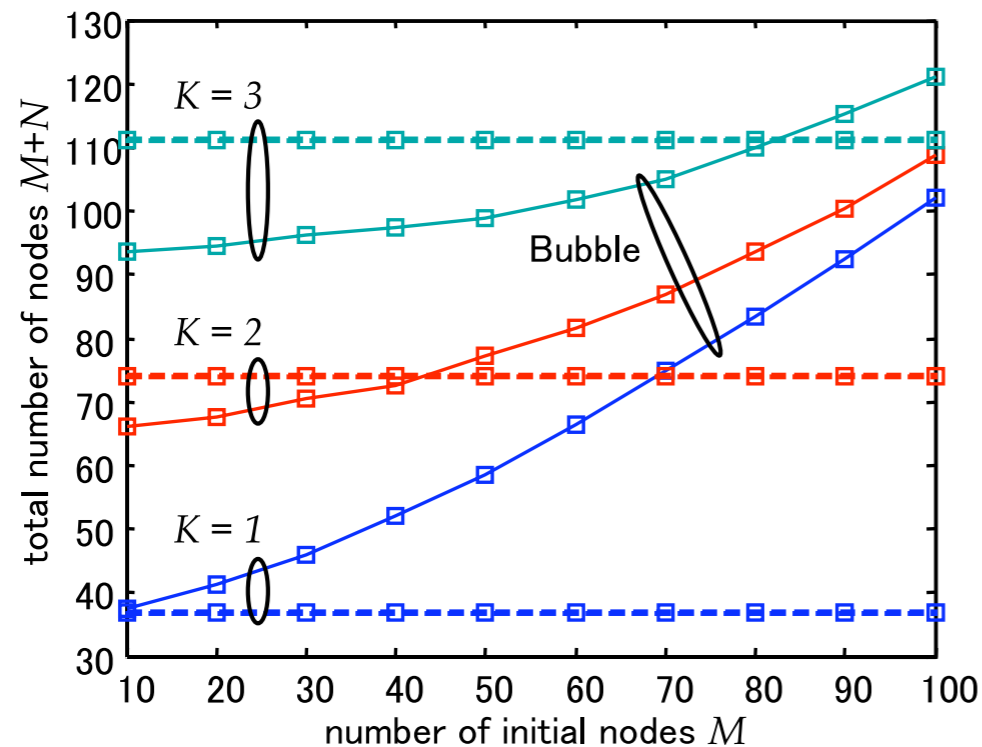
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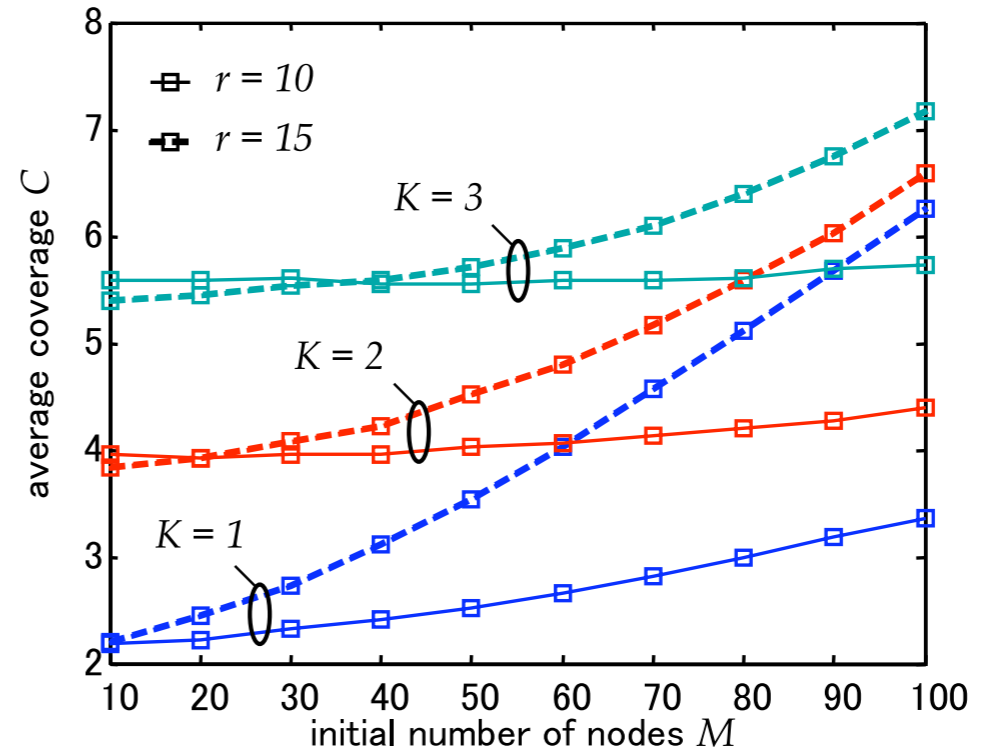
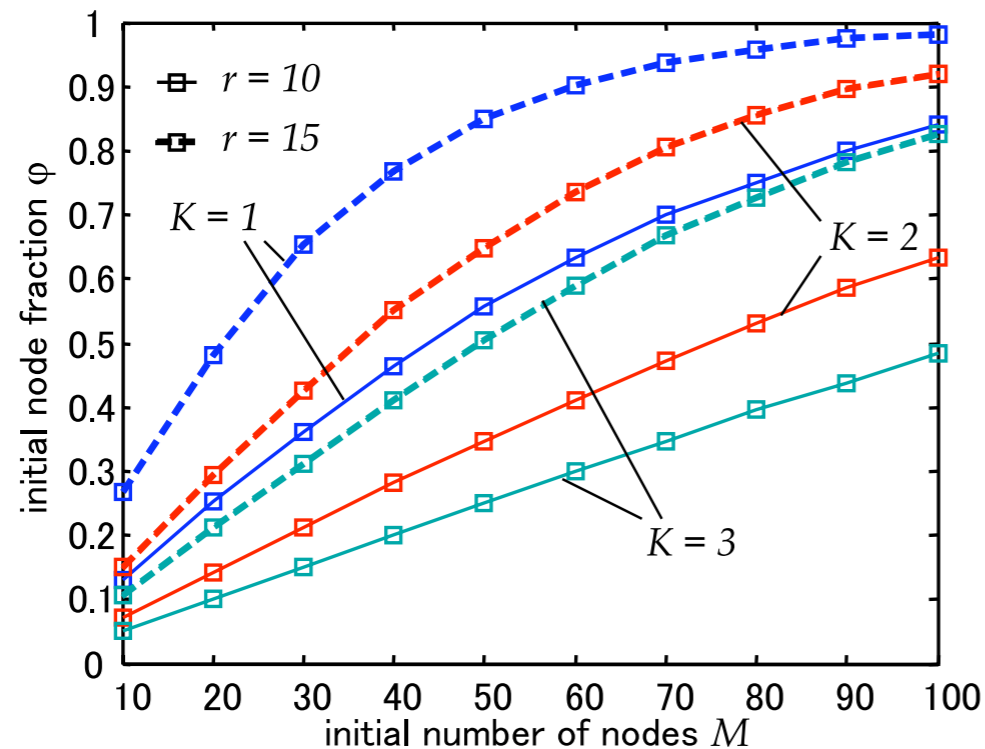
# Comparison of Total Nodes



- ▶ Total nodes:  $M$  (initial nodes) +  $N$  (added nodes)
- ▶ Proposal is better when  $K$  gets larger, whereas total nodes remain constant for hexagonal approximation
- ▶ Similar benefit for variation of sensing radius  $r$

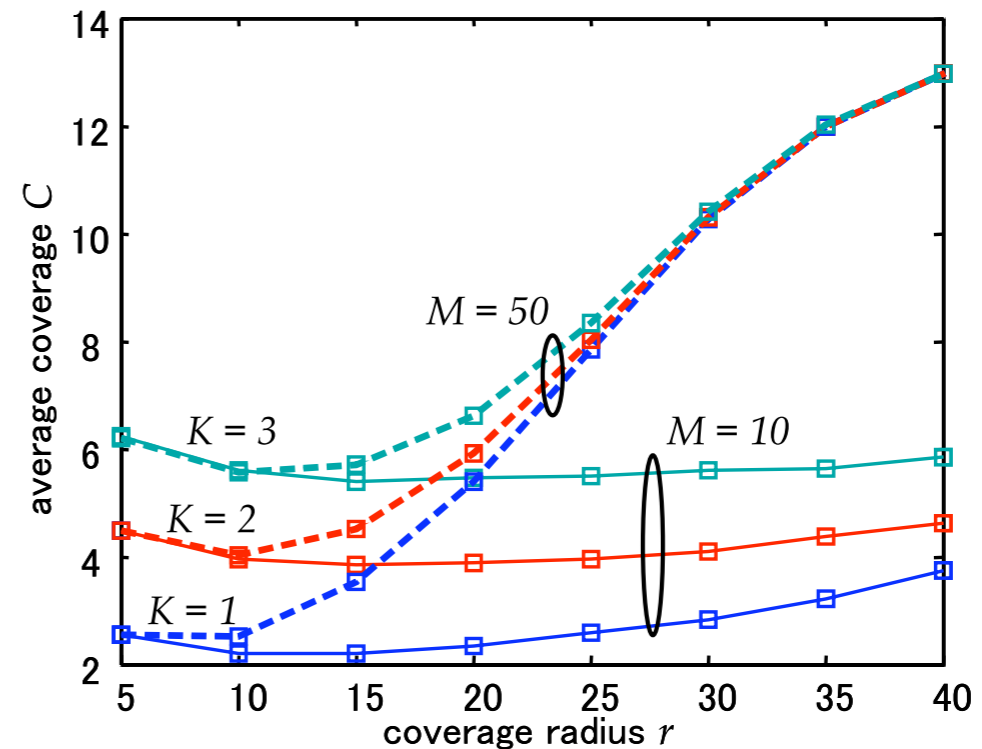
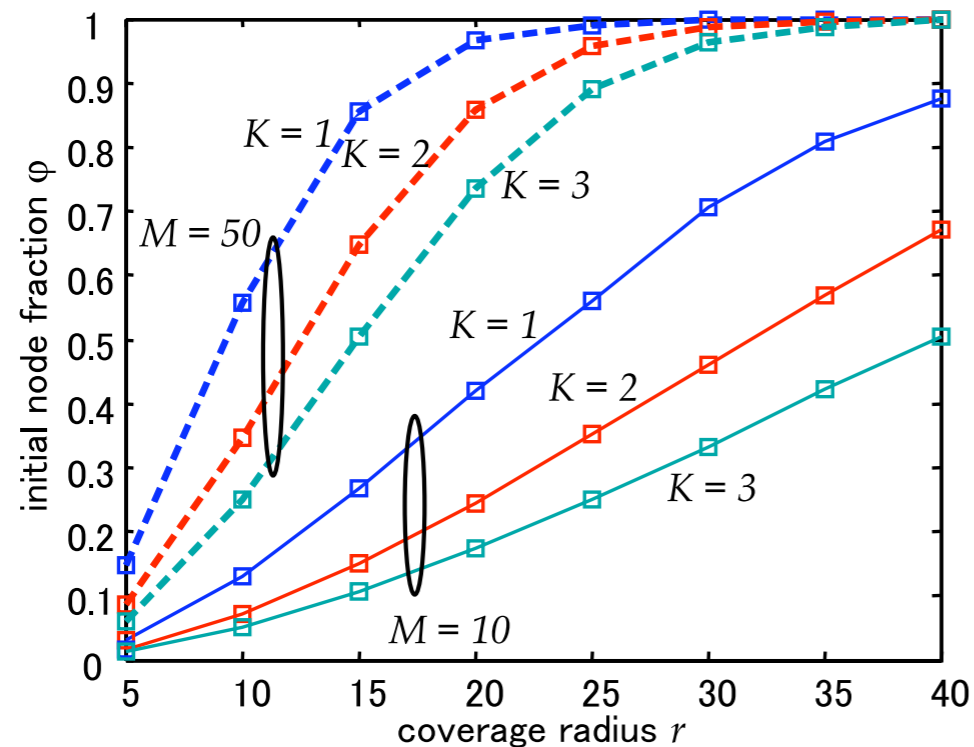


# Influence of Initial Configuration



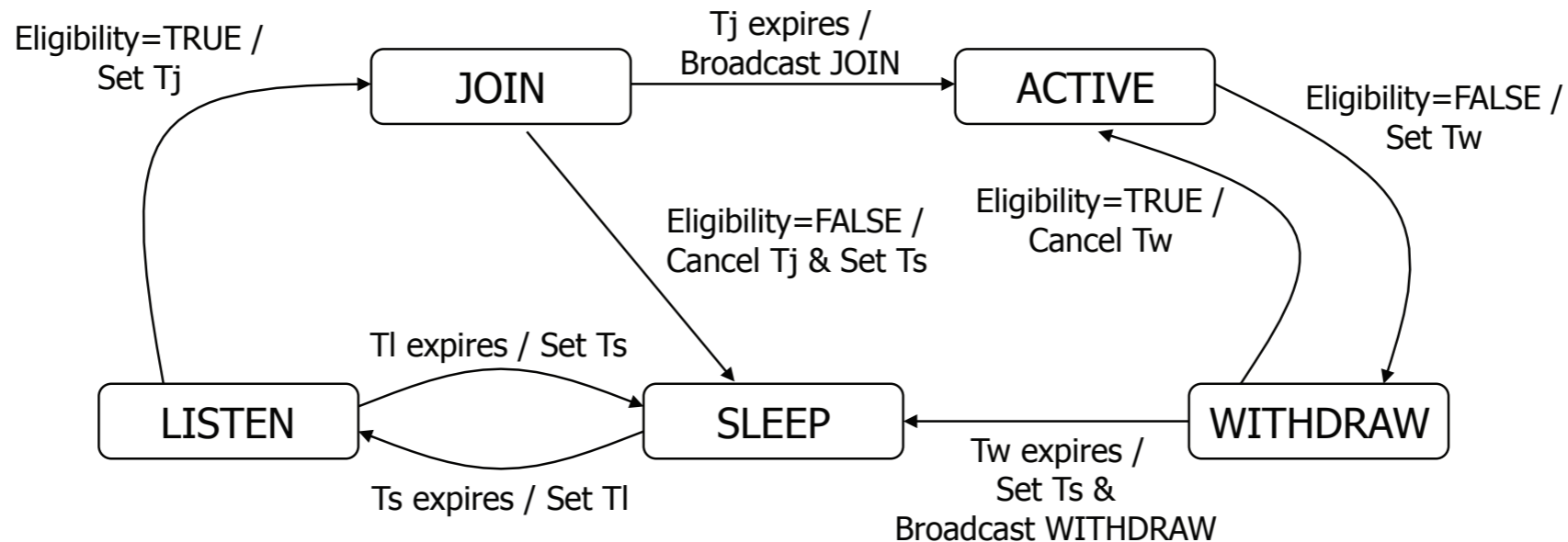
- ▶ Initial coverage fraction defined as  $\varphi = M/(M + N)$
- ▶ Smaller coverage radius results in less total nodes
- ▶ Larger target coverage has less influence in conjunction with radius on average coverage  $C$

# Influence of Sensing Coverage Radius



- ▶ If initial nodes  $M$  is large, only few additional nodes required, especially for large  $r$
- ▶ Proposal is more efficient the less initial nodes exist. For large number of initial nodes and radius, we have much (unnecessary) overlap

# Conclusion



- ▶ Fast Gas Bubble method for sensor node deployment
- ▶ Heuristic is based on Neural Gas/Simulated Annealing
- ▶ Redundant coverage planning permits unnecessary nodes to enter sleep state, prolonging network lifetime
- ▶ Combined with energy-dependent state sojourn timers and message filtering